The amount in dollars a driver earns each month is determined by the equation
$A=0.25 m+500$, where $m$ is the number of miles the driver drives that month.

## What do you notice?

## What do you wonder?

18. The amount in dollars a driver earns each month is determined by the equation $A=0.25 m+500$, where $m$ is the number of miles the driver drives that month.

Which statement is true about the driver's earnings?
A. The driver earns $\$ 500.25$ each month.
B. The driver earns $\$ 500$ for each mile driven plus $\$ 0.25$.
C. For each 100 miles driven during the month, the driver earns $\$ 525$.
D. The driver earns $\$ 0.25$ for each mile driven plus a base salary of $\$ 500$.

## Pair/Share:

How familiar are you with the math topics on the TASC? Which topics have you taught?

# Takeaways on the TASC 

NYSED Teacher Leader Institute November 2016

## Information about the TASC Mathematics Test (GHI)

* TASC Math Item Specifications
- TASC Math Blueprint

| Domain/ Reporting Category | Subdomain/Core Idea | Subdomain \% | $\begin{aligned} & \text { Domain } \\ & \% \end{aligned}$ |
| :---: | :---: | :---: | :---: |
| Algebra | Arithmetic with Polynomials and Rational Expressions | 6\% | 26\% |
|  | Reasoning with Equations and Inequalities | 8\% |  |
|  | Creating Equations | 6\% |  |
|  | Seeing Structure in Expressions | 6\% |  |
| Geometry | Geometric Measurement with Dimension | 6\% | 23\% |
|  | Modeling with Geometry | 7\% |  |
|  | Congruence | 5\% |  |
|  | Similarity, Right Triangles, and Trigonometry | 5\% |  |
| Functions | Interpreting Functions | 10\% | 26\% |
|  | Linear، Quadratic, and Exponential Models | 8\% |  |
|  | Building functions | 8\% |  |
| Number and Quantity | Quantities | 10\% | 13\% |
|  | The Real Number Sustem | 3\% |  |
| Statistics and Probability | Making Inferences and Justifying Conclusions | 3\% | 12\% |
|  | Interpreting Categorical and Quantitative Data | 6\% |  |
|  | Conditional Probability and Rules of Probability | 3\% |  |

* TASC Official Readiness Assessments 4 and 5


## Analyzing TASC ORT Math Assessments 4 \& 5

## (Out of 42 unique questions)



The population of a certain strain of bacteria can be modeled by the function $B(t)=(1.05)_{\text {t }}^{\text {t }}$ where $B(t)$ is the population and $t$ is the time in weeks.

What is the percent change in the population, and does this represent exponential growth or decay?
A. 5\%; exponential decay
B. $5 \%$; exponential growth
C. $105 \%$; exponential decay
D. $105 \%$; exponential growth

A salesperson earns a salary of $\$ 250$ per week plus an $8 \%$ commission on everything the salesperson sells.

Which equation represents the weekly earnings, $E$, of the salesperson for $d$ dollars in sales?
A. $E=8 d+250$
B. $E=0.8 d+250$
C. $E=250 d+0.08$
D. $E=0.08 d+250$

## More than 45\% of math questions on TASC 4 \& 5 have context



## Math in Other Content Areas

Topics: Line<br>graphs, line of best fit, charts,<br>interpreting data, using formula, pie charts, pictograph, equilibrium price graph

## No Calculations Necessary



## Sample Question Stems from ort 4/5

- What type of function should be used... and why?
- Which linear function models the relationship between...?
- Which equation represents...?
- Which graph represents...?
- Which system of equations can be used to...?
- Which system of inequalities can...?
- Which statement is true about...?
- What is the correct interpretation of... ?
- Which interpretation of this... is correct?
- Which statement is correct?
- Which statement about the... is true?
- What is another way to write...?

What do you notice? What do you wonder?

## Equations from TASC ORT 4 \& 5

## What do you notice? What do you wonder?

- $P=R-C$
- $p(t)=-t^{2}+2 t-2$
- $E=0.08 d+250$
- $p(x)=2^{x}$
- $q(x)=x^{2}$
- $f(x)=250 x+6000$
- $A=1.25 x+9.50$
- $x-2 y=10$
- $3 x+4 y=-40$
- $C=10 b+25$
- $f(x)=\frac{x+3}{x-7}$
- $B(t)=(1.05)^{t}$
- $P(t)=12.5 t+35$
- $J+5=A$
- $J+A=59$
- $y=-44 x+1,000$
- $r+b<200$
- $b<1 / 2 r$
- $y=-2 x^{2}+9$
- $y=4 x+3$
- $A=0.25 m+500$
- $f(x)=x^{3}+x^{2}-2 x$
- $y \leq 1 / 2 x-1$

